

Focal Sweep for Large Aperture Time-of-flight Cameras

September 27, 2016

Outline

- 1 Background and Motivation
 - Continuous-wave ToF imaging
 - Defocus blur in ToF cameras
- 2 Prior Work
- 3 Proposed method
 - Focal sweep technique
 - System Overview
 - Image capture and deblurring method
- 4 Results

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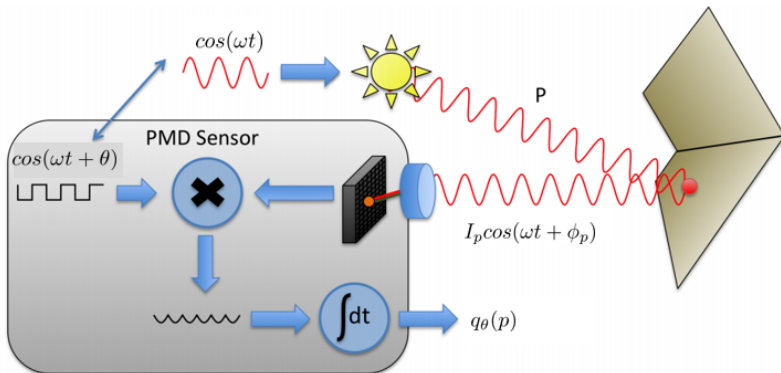


Figure: Continuous-wave ToF sensing (Adapted from Heide et al, 2013)

- Emitted signal: $\cos(\omega t)$
- Received signal: $a_p \cos(\omega t + \phi) + \beta$
- Cross-correlation:

$$q(\theta, p) = \frac{a_p}{2} \cos(\theta + \phi) + \beta$$

- Four such correlation measurements, called quadrature channels, $q_i(p); i = \{0, 1, 2, 3\}$ captured with four different values of $\theta = i\frac{\pi}{2}; i = \{0, 1, 2, 3\}$
- Using the quadrature measurements $q_i(p)$, the depth and amplitude can be computed as

$$z_p = \tan^{-1} \left(\frac{q_1(p) - q_3(p)}{q_0(p) - q_2(p)} \right) \frac{c}{4f\pi}$$

$$a_p = \sqrt{(q_0(p) - q_2(p))^2 + (q_1(p) - q_3(p))^2} \quad (1)$$

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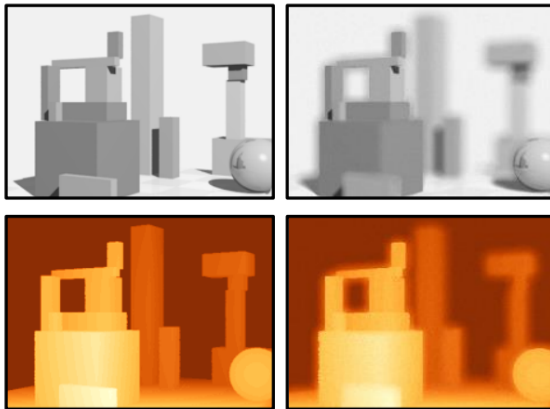
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Defocus blur in ToF cameras

- Poor light throughput
 - Active light source intensity limited - safety and power restrictions
 - Exposure duration should be small - Motion blur
- Large numerical aperture lenses to capture more light
- Side-effect: Defocus blur and limited depth of field
- Blurry quadrature measurements: $y_i(p) = K(z_p) * q_i(p)$, where $K(z_p)$ is the depth-dependent PSF

Defocus blur in ToF cameras

Illustration



a) Ground truth

b) Conventional ToF

Figure: Illustration of defocus blur in amplitude and depth images captured with ToF camera with $f/1.4$ lens and sensor pixel size $45\mu\text{m}$

Prior work

- Godbaz et al, 2010
 - Coded aperture for stable deconvolution
 - Gaussian derivative prior for quadrature channels
 - Employ spatially-varying iterative deconvolution technique for deblurring
- Xiao et al., 2015
 - Use image-formation model to address defocus blur
 - Instead of deconvolution, directly estimate latent amplitude and depth from degraded quadrature measurements
 - Three unknowns: depth-dependent PSF, all-in-focus amplitude and all-in-focus depth map
 - ADMM (Alternating Direction Method of Multipliers) used to solve for all-in-focus amplitude and depth map

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Focal sweep technique

- Distance between lens and sensor varied at constant rate during exposure
- Resultant blurred image has a depth-independent PSF
- Hence, by estimating a single PSF and using non-blind deconvolution techniques, a sharp all-in-focus image can be obtained

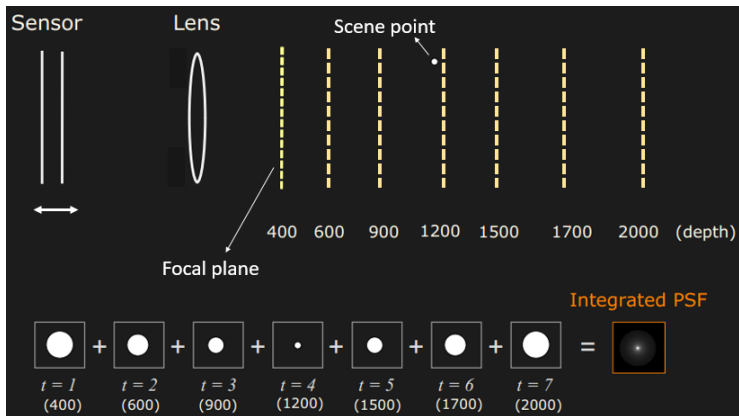


Figure: Illustration of focal sweep technique and how it leads to depth-invariant blur [Source: Nagahara et al., 2010]

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Overview

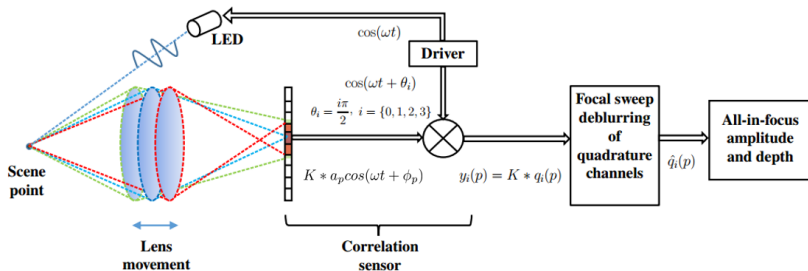


Figure: Overview of the proposed method

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- Each quadrature channel is captured by sweeping the focus over the scene depth range
- This results in a depth-invariant blur in the ToF quadrature measurements
- Obtain the two independent channels from the blurry quadrature measurements: $h_{re} = \frac{(y_0 - y_2)}{2}$ and $h_{im} = \frac{(y_1 - y_3)}{2}$
- h_{re} and h_{im} are also blurred versions of corresponding sharp channels blurred by the same depth-invariant PSF:

$$h_{re} = K * X_{re}; \quad h_{im} = K * X_{im}$$

$$X_{re} = a \cos(\phi); \quad X_{im} = a \sin(\phi)$$

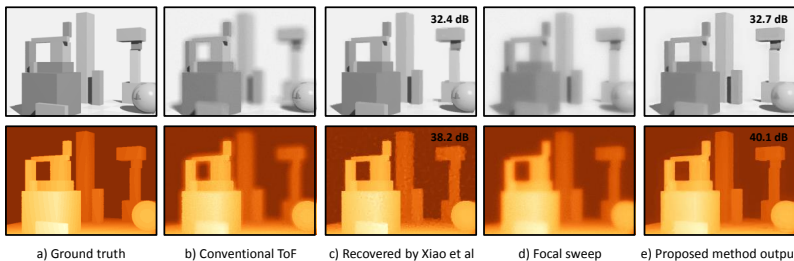
- Sharp channels \widehat{X}_{re} and \widehat{X}_{im} estimated using non-blind deconvolution with TV regularisation prior:

$$\widehat{X}_{re} = \operatorname{argmin}_{X_{re}} \|h_{re} - K * X_{re}\|^2 + \lambda \|X_{re}\|_{TV},$$

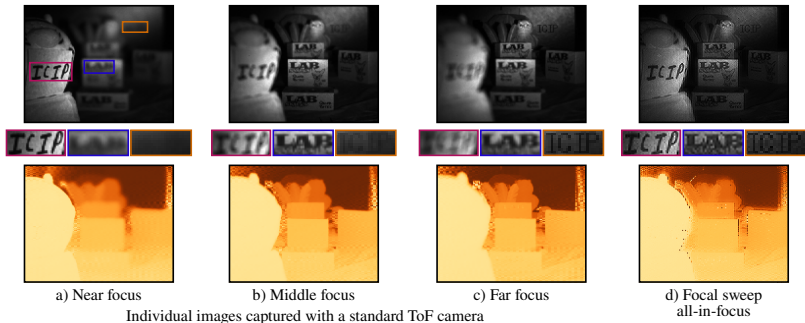
and similarly for \widehat{X}_{im} .

- All-in-focus amplitude and depth map obtained from Equation 1 by appropriate substitution of \widehat{X}_{re} for $q_0 - q_2$ and \widehat{X}_{im} for $q_1 - q_3$

Simulated scene



Real scene



Post-capture refocusing and tilted DOF

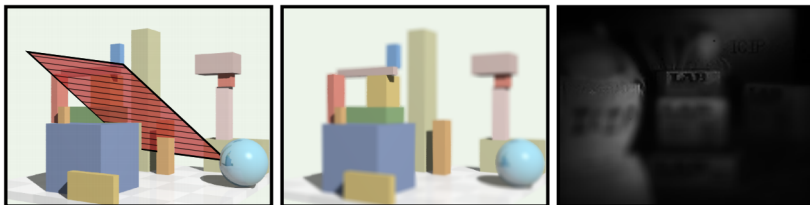


Figure: Left: Ground truth. Middle: Refocused scene along red plane. Right: Refocused real scene

Conclusions and Future Work

- Novel methodology for extending DOF in ToF imaging using focal sweep
- Simple recovery algorithm using non-blind deconvolution enabling real-time operation and straightforward scale-up for future generation ToF cameras
- Future work:
 - Better priors than TV norm regularization for ToF quadrature measurements?
 - Novel view synthesis and other applications using ToF focal stack